





# World War

(28 July 1914 - 11 November 1918)



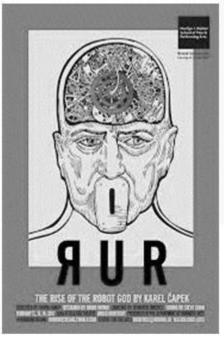


# **Imagination**





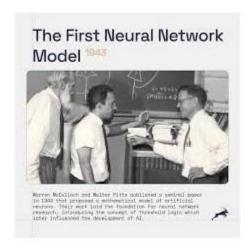
1923 Karel Čapek's play named "Rossum's Universal Robots" (RUR) opens in London, first use of the word "robot" in English.





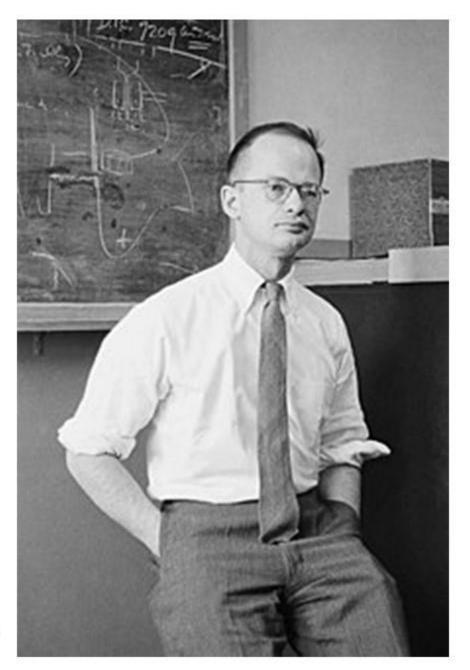


# Inspiration



1943 Foundations for neural networks laid.

> Walter Harry Pitts American Logician (23 April 1923 – 14 May 1969)



#### The rule of law



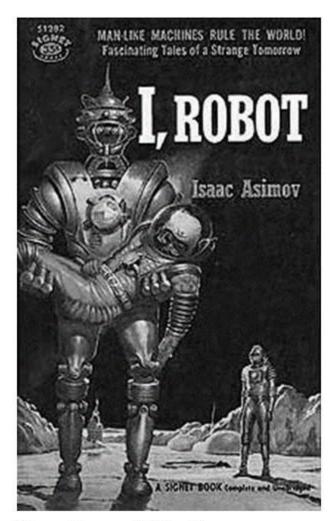
1945 Isaac Asimov

a Columbia University alumni, coined the term Robotics.

The First Law: A robot may not injure a human being or, through inaction, allow a human being to come to harm.

The Second Law: A robot must obey the orders given it by human beings except where such orders would conflict with the First Law.

The Third Law: A robot must protect its own existence as long as such protection does not conflict with the First or Second Law.



Three Laws of Robotics

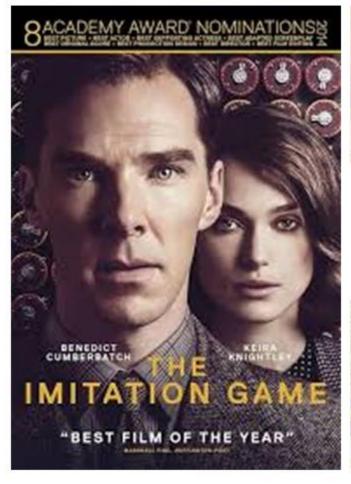


#### **Mathematics**



#### 1950

Alan Turing introduced Turing Test for evaluation of intelligence and published Computing Machinery and Intelligence.







# programming language





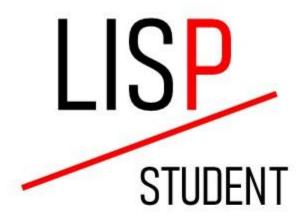


# Algebra word problems



1964

Danny Bobrow's dissertation at MIT showed that computers can understand **natural language** well enough to solve **algebra word problems** correctly.



## Interaction



1965
Joseph Weizenbaum at MIT built ELIZA, an interactive problem that carries on a dialogue in English.





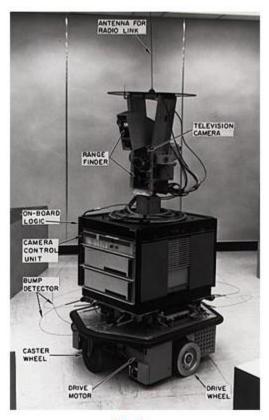
# Robot



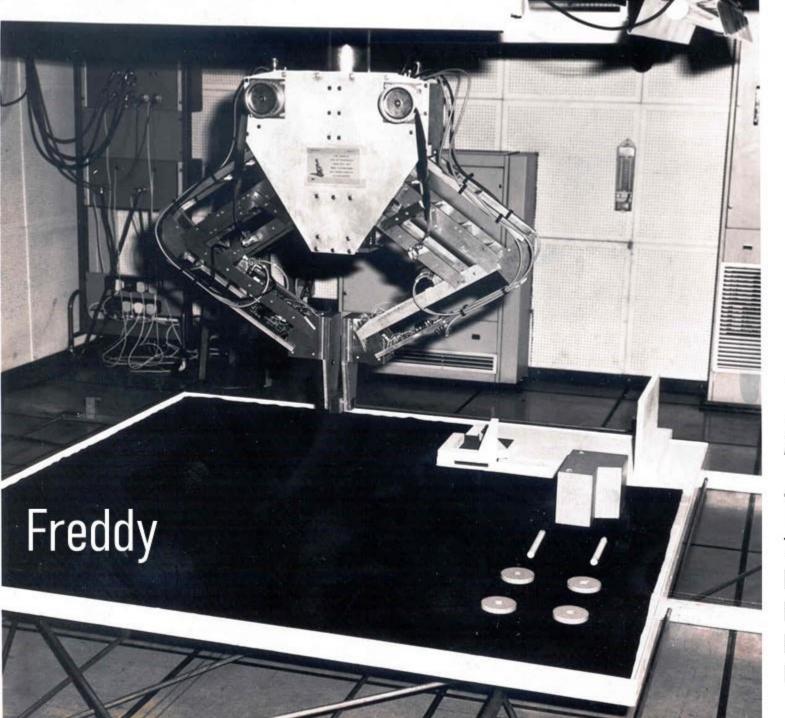
#### 1969

Scientists at Stanford Research Institute Developed Shakey, a robot, equipped

# LISP



Shakey



# Industry

Assembly

#### 1973

The Assembly Robotics group at Edinburgh University built Freddy, the Famous Scottish Robot, capable of using vision to locate and assemble models.

#### computer- controlled

## Autonomous

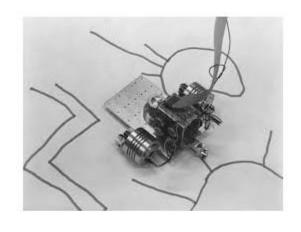
vehicle

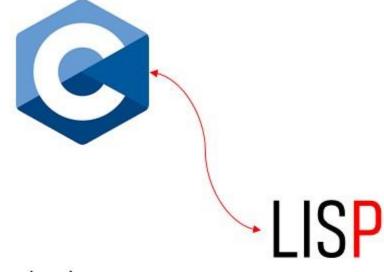


1979

The first computer-controlled autonomous vehicle, Stanford Cart, was built.

# Digital painting





1985

Harold Cohen created and demonstrated the drawing program, Aaron.

#### 1990

Major advances in all areas of Al:

- Significant demonstrations in machine learning
- Case-based reasoning
- Multi-agent planning
- Scheduling
- Data mining, Web Crawler
- natural language understanding and translation
- Vision, Virtual Reality
- Games

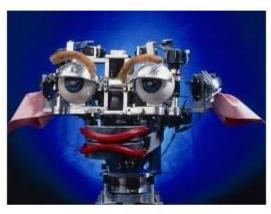


1997

The **Deep Blue Chess** Program beats the then world chess champion, **Garry Kasparov**.

#### **Emotion**

# Remote





#### 2000

Interactive robot pets become commercially available. MIT displays Kismet, a robot with a face that expresses emotions. The robot Nomad explores remote regions of Antarctica and locates meteorites.

Al is the simulation of human intelligence processes

Learning

Reasoning

Planning

Self-correction

Problem solving

Knowledge representation

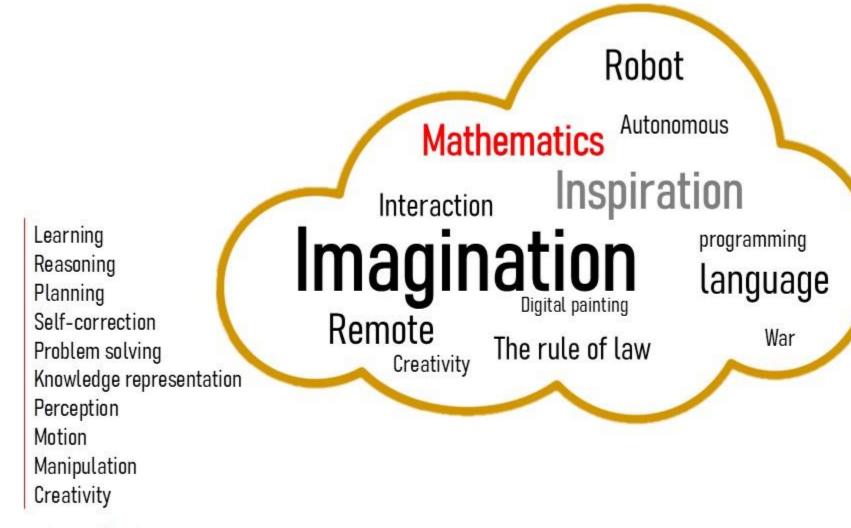
Perception

Motion

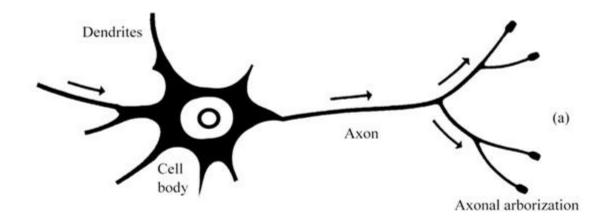
Manipulation

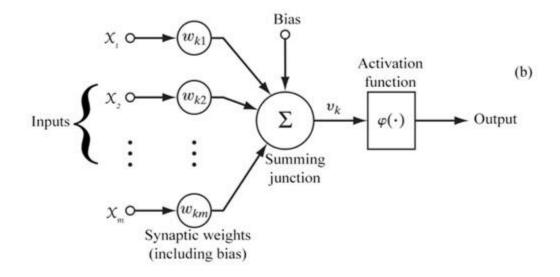
Creativity

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Biological and Artificial Neural Networks (ANN)

Learning Reasoning

**Planning** 

Self-correction

Problem solving

Knowledge representation

Perception

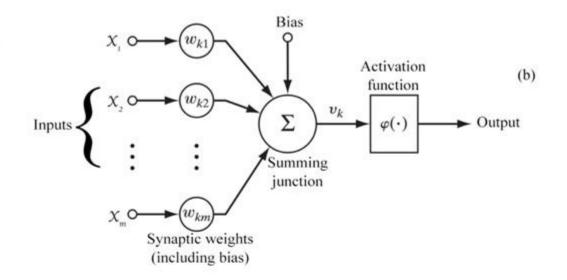
Motion

Manipulation

Creativity

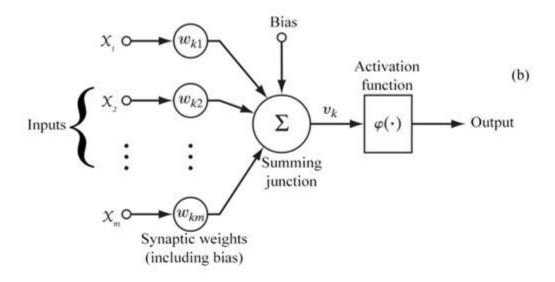
Algebra Symbols & Meanings

Symbol	Name	Meaning	Example
n	variable	unknown quantity	18 - n = 7
ш	equal	the same as	2+3=5
z	approximately equal	about the same as	3 + 8 ≈ 0.38
<b>≅</b>	congruent	same shape & size squares A & B a	
-	similar	same shape, squares B & C abo	
#	not equal	not the same as	2+8≠9
<	less than	fess than	7 < 10
≤	less than or equal to	less than or equal to	used to show a range of possible answers
>	greater than	greater than	10 > 7
2	greater than or equal to	greater than or equal to	used to show a range of possible answers
()	parentheses	These are organization symbols. Always start working with the innermost set, and then work out. These can also stand for multiplication.	
{}	braces		
[]	brackets		
1	factorial	51	5x4x3x2x1
e	Euler's number	2.71828	exponential growth & decay
Σ	sigma	add or find the sum	add a series of numbers
Δ	delta	change in or find the difference	slope of a line is $\Delta y / \Delta x$
π	pi	3.1415926	ratio between circumference & diameter of circle



**1. Linear Algebra**: Understanding <u>matrices</u> and <u>vector</u> operations is crucial. ANNs involve a lot of <u>matrix</u> multiplications and additions. You'll need to be comfortable with concepts like matrix multiplication, transpose, and the dot product.

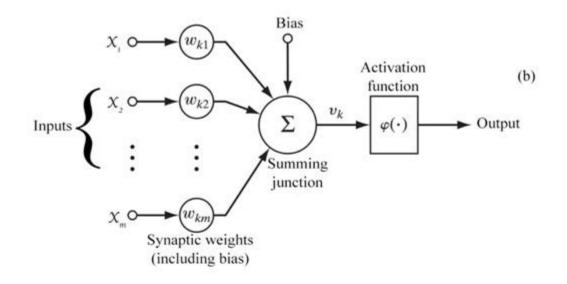
Co	lculus	Symb	ols
lim f(x)	€ •psilon	y' derivative	y" second derivative
y <sup>let</sup> n° derivotive	dy dx derivotive	$\frac{d^2y}{dx^2}$ second derivative	d°y dx" a" derivotio
$\dot{y}$ time derivative	ÿ time second derivative	Dry derivative	Dr <sup>2</sup> y second derivative
$\frac{\partial f(x,y)}{\partial x}$ partial derivative	∫ Integrat Maths V	Sibes integral	IIII triple integral



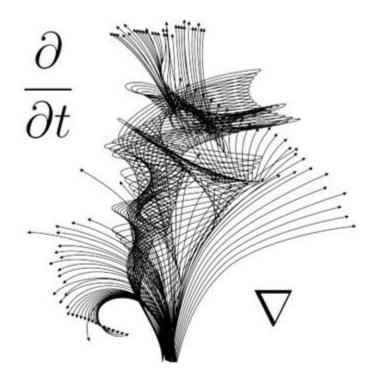
#### 1Linear Algebra

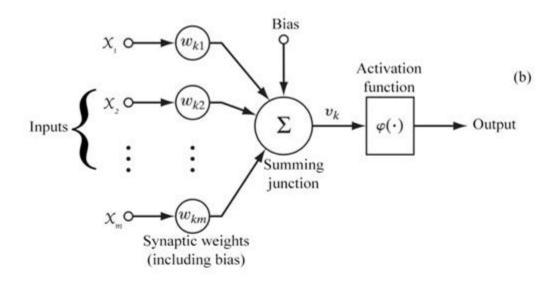
**2.Calculus**: Concepts from <u>calculus</u>, particularly <u>derivatives</u>, are essential. You'll use derivatives for training ANNs, such as gradient descent algorithms. Understanding how gradients affect weight updates is key.

#### PROBABILITY AND STATISTICS SYMBOLS P(A) $P(A \cap B)$ $P(A \cup B)$ P(AIB) probability probability of probability of conditional events intersection events union function probability function f(x)F(x)E(X)probability Expectation cumulative population mean density function distribution function $E(X \mid Y)$ std(X)var(X) $\sigma^2$ Standard conditional Variance Variance Deviation expectation $\sigma X$ cov(X,Y)corr(X,Y) Standard median covariance correlation Deviation $\rho X, Y$ Q, $Q_3$ Q, correlation second quartile third quartile first quartile S2 $\bar{x}$ Zx sample standard standard score sample variance sample mean deviation X ~ U(a,b) $N(\mu, \sigma 2)$ $exp(\lambda)$ uniform exponential Distribution of x Distribution distribution distribution

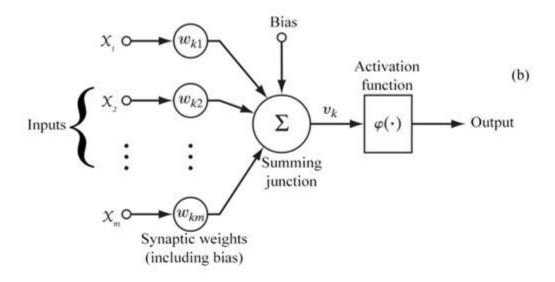


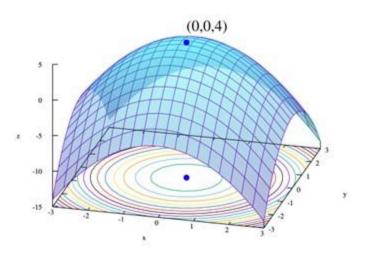
- 1. Linear Algebra
- 2. Calculus
- **3. Probability and Statistics:** You'll encounter probability and statistics when dealing with tasks like classification and regression. Concepts like probability distributions, mean, variance, and statistical tests are valuable.



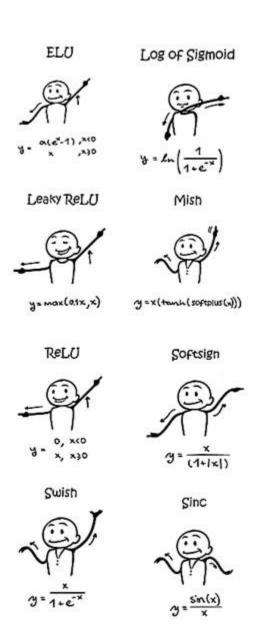


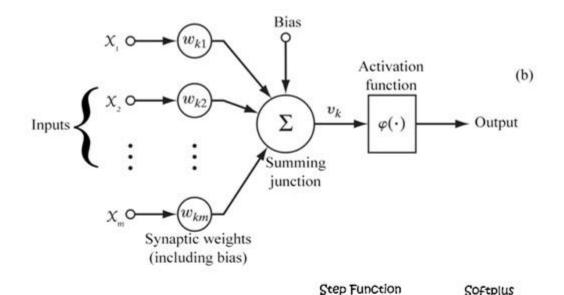
- 1. Linear Algebra
- 2. Calculus
- 3. Probability and Statistics
- **4. Differential Equations:** Deep learning models, including ANNs, often involve solving differential equations. Understanding the basics of differential equations will be beneficial for understanding the training process.



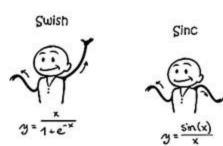


- 1. Linear Algebra
- 2. Calculus
- 3. Probability and Statistics
- 4. Differential Equations
- **5. Optimization:** Knowledge of optimization techniques, such as gradient descent and its variants (e.g., stochastic gradient descent), is important for training ANNs effectively.





- 1. Linear Algebra
- 2. Calculus
- 3. Probability and Statistics
- 4. Differential Equations
- 5. Optimization
- 6. Activation Functions: Understanding how activation functions (e.g., sigmoid, ReLU) transform input data mathematically is vital for comprehending how information flows through ANNs.



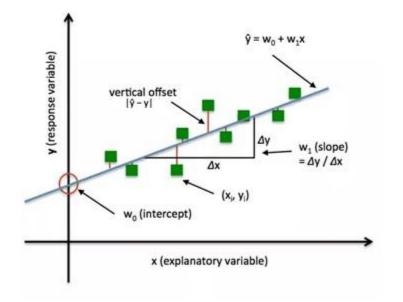
Softplus

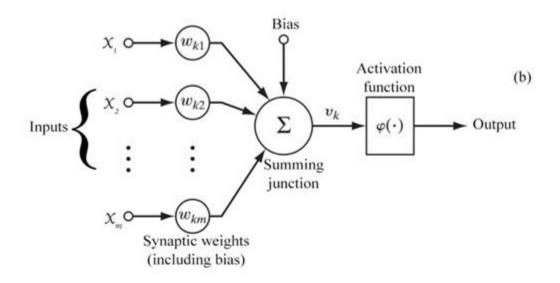
y= Ln(1+ex)

$$\frac{\text{Log loss}}{L(y-\hat{y}) = \frac{1}{n} \sum_{i=1}^{n} y_i \log(\hat{y}_i)}$$

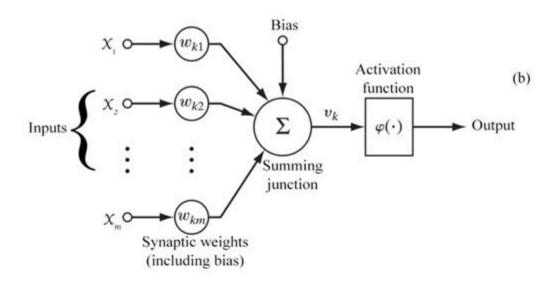
Mean Squared Loss  

$$L(y-\hat{y}) = \frac{1}{n} \sum_{i=1}^{n} (y_i - \hat{y}_i)^2$$





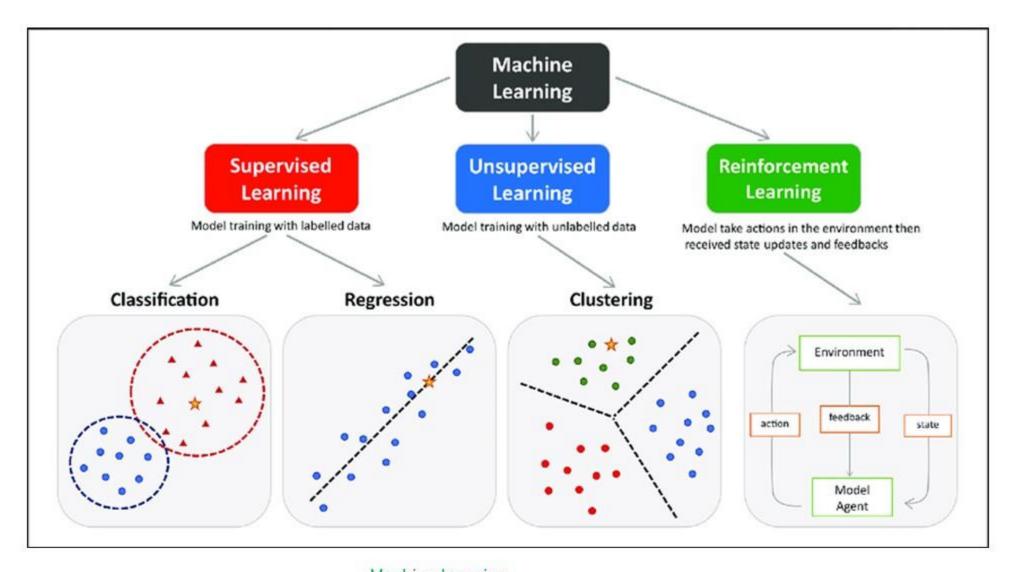
- 1. Linear Algebra
- 2. Calculus
- 3. Probability and Statistics
- 4. Differential Equations
- 5. Optimization:
- 6. Activation Functions
- 7. Loss Functions: Familiarity with various loss functions (e.g., mean squared error, cross-entropy) used to quantify the difference between predicted and actual values is essential for training ANNs.



- 1. Linear Algebra
- 2. Calculus
- 3. Probability and Statistics
- 4. Differential Equations
- 5. Optimization:
- 6. Activation Functions
- 7. Loss Functions
- 8. Matrix Calculus: A deeper understanding of matrix calculus can be helpful, especially for advanced deep learning concepts like backpropagation through time (BPTT) in recurrent neural networks.







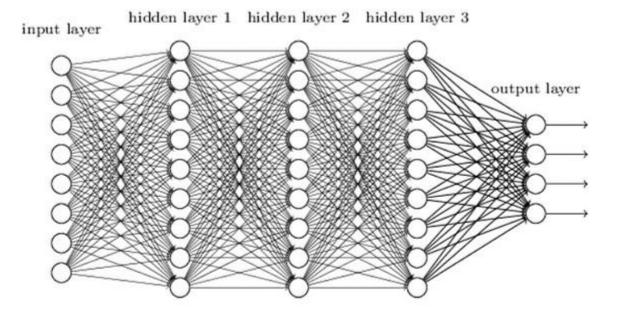
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Biological and Artificial Neural Networks (ANN)

### "Non-deep" feedforward neural network

# input layer output layer

#### Deep neural network



Machine learning and Deep learning

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Imitation of a situation or process

Biological and Artificial Neural Networks (ANN)